Output	Transformation		Orientation/Type
f(x)	Original graph or parent graph.		
f(x) + c	Up <i>c</i> .		Vertical translation
f(x) - c	Down <i>c</i> .		Vertical translation
f(x+c)	Left <i>c</i> .		Horizontal translation
f(x-c)	Right <i>c</i> .		Horizontal translation
-f(x)	Reflects over the <i>x</i> -axis.		Vertical reflection
f(-x)	Reflects over the y-axis.		Horizontal reflection
<i>c f</i> (<i>x</i>)	If $c > I$, then the graph is stretched.	* Vertical scaling, y changes, x does not change. Ex: If c = 2, then y is twice original.	Vertical stretch
	If $0 < c < 1$, then the graph is compressed.		Vertical compression
f(cx)	If $c > 1$, then the graph is compressed.	* Horizontal scaling, x changes, y does not change. Ex: if $c = 2$ then x is $\frac{1}{2}$ as much.	Horizontal compression
	If $0 < c < 1$, then the graph is stretched.		Horizontal stretch
f(x)	Reflection of the <i>negative</i> y-values over the <i>x-axis</i> to become positive while all of the <i>positive</i> y's stay the same.		Vertical
f x	Reflection of the <i>positive</i> x-values over the <i>y-axis</i> to replace the <i>negative</i> x-values creating a graph with <i>y-axis</i> symmetry.		Horizontal

Rules for Transformations of Graphs